





Integration	
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Proof: Examples including proof by deduction* and proof by contradictio

Integrating x^n (including when n = -1), exponentials and trigonometric functions. Using the reverse of differentiation, and using trigonometric identities to manipulate integrals. Integration by substitution , Integration by parts, Use of partial fractions, Areas under

graphs or between two curves, including understanding the area is the limit of a sum (using sigma notation), The trapezium rule, Differential equations (including knowledge of the family of solution curves)

Functions and modelling

Modulus function, Composite and functions, Transformations, Model functions*

quotients and implicit functi

derivatives (rates of change

inflections)Rates of change p

(including growth and kinem

Series and sequences

Arithmetic and geometric prog of 'sum formulae'), Sigma nota and iterations

Trigonometry (part 2) Arcs and sectors, Compound and double (and half) angle formulae,

 $R \cos(x \pm \alpha)$ or $R \sin(x \pm \alpha)$ The binomial theorem Expanding $(a + bx)^n$ for rational n; knowledg range of validity, Expansion of functions by first using partial

Proving trigonometParametric equations

identities, Definition and converting between Solving problems inparametric and Cartesian forms

Areas under curves expressed

Numerical methods*

Vectors (3D):

vectors

context (e.g. mechanics) sketching and modelling , Differentiating parametric, Integr ating functions defined method, Problem solving parametrically

Location of roots, Solving by iterative methods (knowledge of 'staircase and cobweb' diagrams), Newton-Raphson

Use of vectors in three dimensions; k column vectors and

parametrically **Appreciation of** solving problems demonstrated through understanding of the techniques learnt in As level Pure and **Applied Maths.**

Students can apply the techniques learnt in **AS Level Pure and Applied Maths to** confidently to solve problems at A level.

Respect Applied Maths Well beir e Balar Aspiration

The Normal distribution

Understand and use the Normal distribution

Use the Normal distribution as an approximation to the binomial distribution Selecting the appropriate distribution

Statistical hypothesis testing for the mean of the Normal distribution

Probability

Using set notation for probability Conditional probability

Questioning assumptions in probability

Regression and correlation

Forces at any angle (part 1): Resolving

Change of variable

Correlation coefficients Statistical hypothesis testing for zero correlation

Further kinematics (part1): Constant cceleration (equations of motion in 2D; the i, j system)

vectors r. and r" at a given time)

Applications of forces (part 1)

Equilibrium and statics of a particle Dynamics of a particle

Moments. Forces' turning effect

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Eurther Maths-

Pure

Complex numbers

Respect

spiration

Know and use $z = re^{i\theta} = r(\cos \theta + i \sin \theta)$

We l-being Ve

De Moivre's theorem

The nth roots of $z = re^{i\theta}$ and complex roots of unity

Hyperbolic functions

sinh x, cosh x, tanh x and their inverses

Logarithmic forms of the inverse hyperbolic functions and integrate functions of the form

 $(x^{2}+a^{2})^{-1/2}$ and $(x^{2}-a^{2})^{-12}$

Further algebra and functions (series)

Method of differences

Maclaurin series

Polar coordinates

Convert between Cartesian and polar and sketch $r(\theta)$

Area enclosed by a polar curve

Further calculus

Improper integrals

Mean value of a function

Integrate using partial fractions

Differentiate inverse trigonometric functions and integrate using trigonometric substitutions

Further volumes of revolutions

Differential equations

Integrating factors to solve first order differential equations

Second order differential equations of the form y'' + ay' + by = f(x)

Modelling

Appreciation of solving problems demonstrated through understanding of the techniques learnt in AS-level Pure & Applied M & FM.

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Respect Well-being Balance Aspiration - Level Further Statistics

binomial distributions The

geometric distribution, its mean and

variance, The negative binomial distribution, its mean and variance

Hypothesis test for the

parameter *p* of a geometric distribution

The Central Limit

Theorem : Applications of the Central Limit Theorem

Chi squared tests (part 2) :

Chi squared tests

Probability generating functions

Quality of tests : Type I and Type II

errors

The size and power of a test. The power function : Definitions, derivations, applications and use to find the mean and variance, Use of the probability generating function for the negative binomial, geometric, binomial and Poisson distributions Probability generating function of the sum of independent random variables

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Respect Well-being Balance Aspiration Level Further Mechanics

Momentum as a vector (**i**, **j** problems) Impulse-momentum principle in vector form

Momentum and impulse (part 2)

Elastic strings and springs and elastic energy : Hooke's law and definition of modulus of elasticity. Derivation of elastic potential energy formula. Problem solving: equilibrium and using the work-energy principle

Elastic collisions in two dimensions : Oblique impact of a smooth sphere with a fixed surface Successive oblique impacts of a sphere with smooth plane surfaces, Oblique impact of two smooth spheres of equal radius

Key Stage 5 (AS)

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